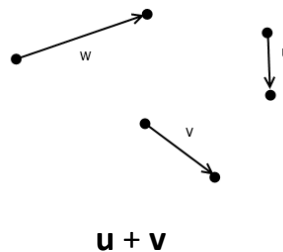
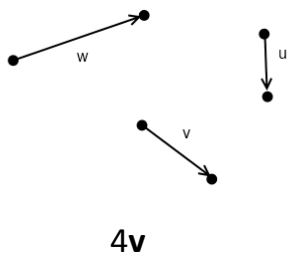


Vectors

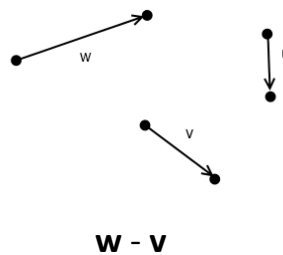
1. Use the vectors in the figure to graph each of the following vectors (similar to p.346 #9-16)



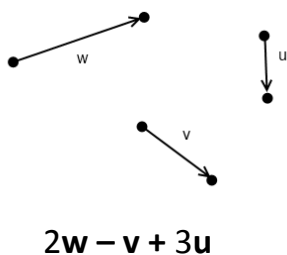
2. Use the vectors in the figure to graph each of the following vectors (similar to p.346 #9-16)



3. Use the vectors in the figure to graph each of the following vectors (similar to p.346 #9-16)



4. Use the vectors in the figure to graph each of the following vectors (similar to p.346 #9-16)



5. The vector \mathbf{v} has initial point P and terminal point Q. Write \mathbf{v} in the form $a\mathbf{i} + b\mathbf{j}$; that is, find its position vector (Similar to p.346 #27-34)

$$P = (-5, 4); Q = (3, 2)$$

Initial Point : (x_1, y_1)

Terminal Point : (x_2, y_2)

Position Vector : $\langle x_2 - x_1, y_2 - y_1 \rangle$

6. Find $\|v\|$
(Similar to p.346 #35-40)

$$v = -2i + 4j$$

$$\text{Given : } v = ai + bj$$

$$\|v\| = \sqrt{a^2 + b^2}$$

7. Find $\|v\|$
(Similar to p.346 #35-40)

$$v = 4i + 6j$$

$$\text{Given : } v = ai + bj$$

$$\|v\| = \sqrt{a^2 + b^2}$$

8. Find each quantity if $v = 7i - 3j$
and $w = -4i + 6j$
(Similar to p.346 #41-46)

$$5v - 3w$$

9. Find the unit vector in the same
direction as v
(Similar to p.346 #47-52)

$$v = -5j$$

$$\text{unit vector} = \frac{v}{\|v\|}$$

10. Find the unit vector in the
same direction as v
(Similar to p.346 #47-52)

$$v = -4i - j$$

$$\text{unit vector} = \frac{v}{\|v\|}$$

11. Write the vector v in the form
 $ai + bj$, given its magnitude $\|v\|$ and
the angle α it makes with the positive
x-axis
(Similar to p.347 #57-62)

$$\|v\| = 4, \alpha = 30^\circ$$

$$v = \|v\|(\cos \alpha i + \sin \alpha j)$$

12. Find the direction angle of v
for each vector
(Similar to p.347 #63-70)

$$v = -2\mathbf{i} + 2\mathbf{j}$$

$$v = a\mathbf{i} + b\mathbf{j}$$

$$\text{direction angle : } \tan \alpha = \frac{b}{a}$$

$$0^\circ \leq \alpha < 360^\circ$$

13. Find the direction angle of v
for each vector
(Similar to p.347 #63-70)

$$v = 3\mathbf{i} + -7\mathbf{j}$$

$$v = a\mathbf{i} + b\mathbf{j}$$

$$\text{direction angle : } \tan \alpha = \frac{b}{a}$$

$$0^\circ \leq \alpha < 360^\circ$$